

HASKELL-patterns

pat → var

| -

| integer

| float

| char

| string

| (constr pat₁ ... pat_n)

| [pat₁, ..., pat_n], n ≥ 0

| (pat₁, ..., pat_n), n ≥ 0

HASKELL-types

type → $(\underline{\text{tyconstr}} \underline{\text{type}}_1 \dots \underline{\text{type}}_n), \quad n \geq 0$
| [type]
| $(\underline{\text{type}}_1 \rightarrow \underline{\text{type}}_2)$
| $(\underline{\text{type}}_1, \dots, \underline{\text{type}}_n), \quad n \geq 0$
| var

tyconstr → string starting with upper case symbol

Parametric polymorphism

```
id :: a -> a
```

```
id x = x
```

```
len :: [a] -> Int
```

```
len [] = 0
```

```
len (x:xs) = len xs + 1
```

```
(++) :: [a] -> [a] -> [a]
```

```
[] ++ ys = ys
```

```
(x:xs) ++ ys = x:(xs ++ ys)
```

Top declarations and type introduction

topdecl → decl

| type tyconstr var₁ ... var_n = type, $n \geq 0$

| data tyconstr var₁ ... var_n =

constr₁ type_{1,1} ... type_{1,n₁} |
⋮

constr_k type_{k,1} ... type_{k,n_k},

$n \geq 0, k \geq 1, n_i \geq 0$

Definition of simple data structures

```
data Color = Red | Yellow | Green
```

```
data MyBool = MyTrue | MyFalse
```

```
traffic_light :: Color -> Color
```

```
traffic_light Red     = Green
```

```
traffic_light Green   = Yellow
```

```
traffic_light Yellow = Red
```

```
und :: MyBool -> MyBool -> MyBool
```

```
und MyTrue y = y
```

```
und _      _ = MyFalse
```

Definition of natural numbers

```
data Nats = Zero | Succ Nats
```

```
plus :: Nats -> Nats -> Nats
```

```
plus Zero      y = y
```

```
plus (Succ x) y = Succ (plus x y)
```

```
half :: Nats -> Nats
```

```
half Zero          = Zero
```

```
half (Succ Zero) = Zero
```

```
half (Succ (Succ x)) = Succ (half x)
```

Definition of lists

```
data List a = Nil | Cons a (List a)
```

```
len :: List a -> Nats
```

```
len Nil          = Zero
```

```
len (Cons x xs) = Succ (len xs)
```

```
append :: List a -> List a -> List a
```

```
append Nil      ys = ys
```

```
append (Cons x xs) ys = Cons x (append xs ys)
```