

$$(\text{fakt}(1, Z), \quad \text{true})$$

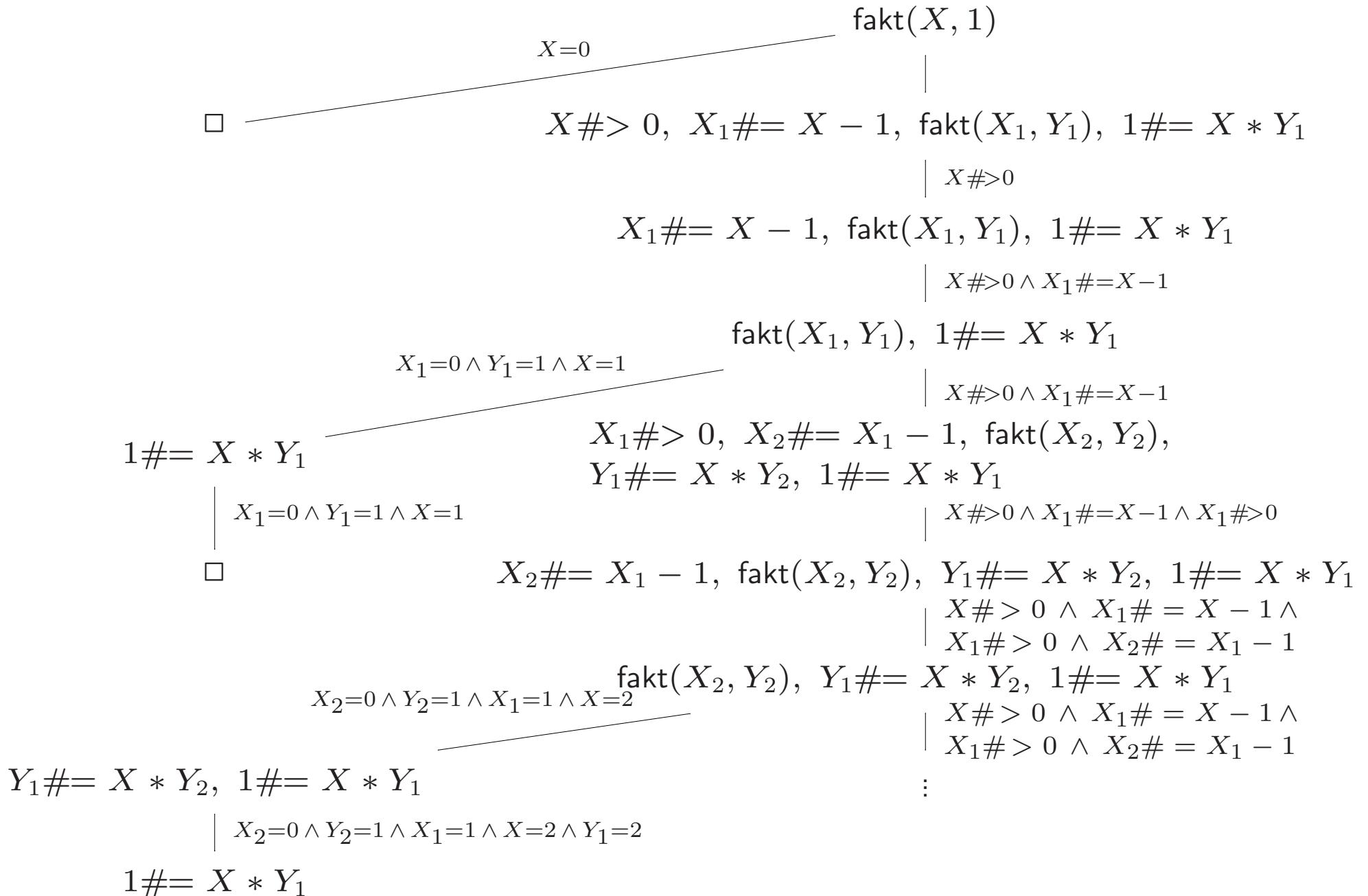
$$\vdash_{\mathcal{P}} (X \#> 0, X_1 \# = X - 1, \text{fakt}(X_1, Y_1), Y \# = X * Y_1, \quad \underbrace{\text{true} \wedge \overline{\text{fakt}(1, Z) = \text{fakt}(X, Y)}}_{X=1 \wedge Z=Y})$$

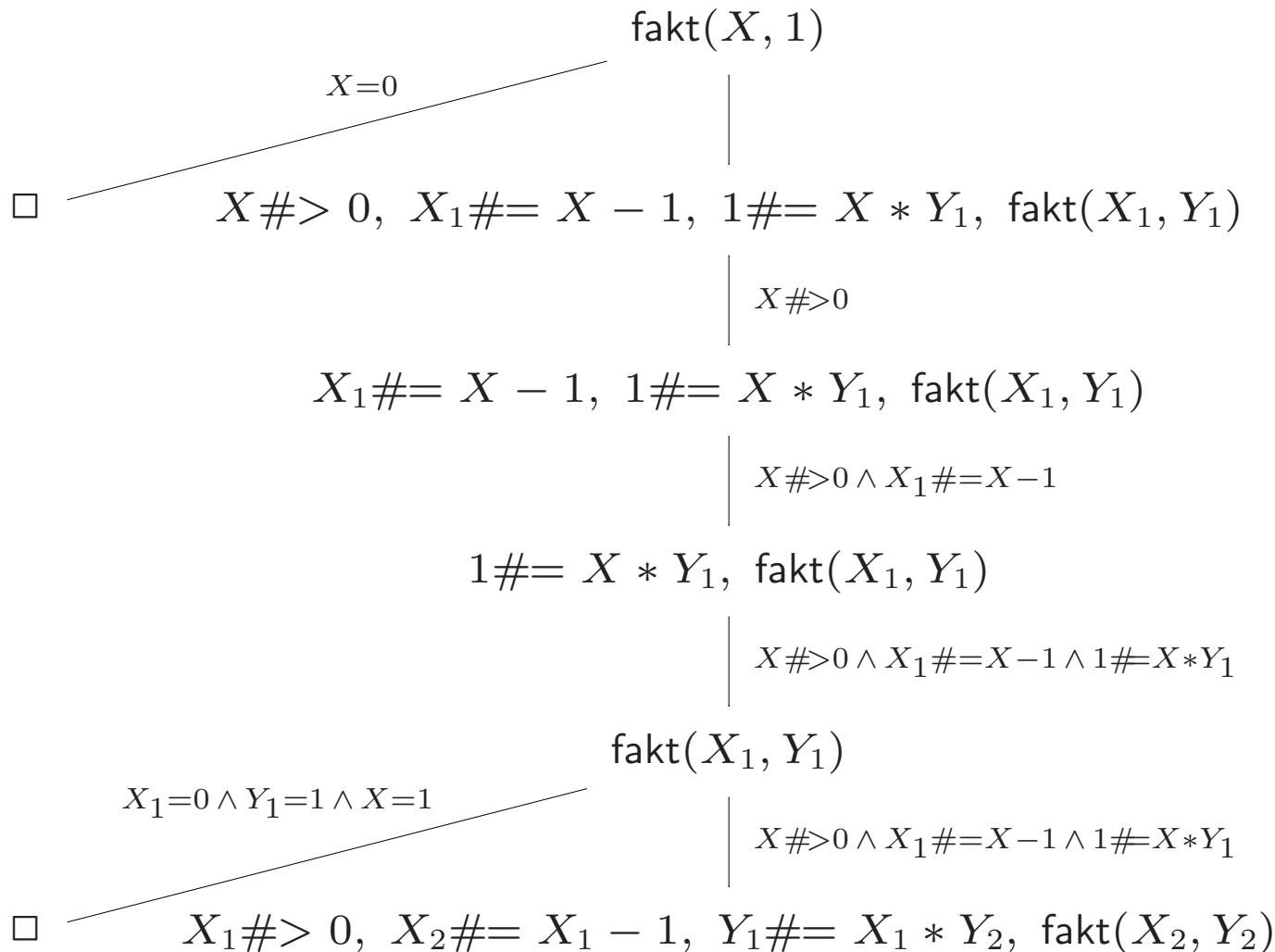
$$\vdash_{\mathcal{P}} (X_1 \# = X - 1, \text{fakt}(X_1, Y_1), Y \# = X * Y_1, \quad \underbrace{X \#> 0 \wedge X = 1 \wedge Z = Y}_{X=1 \wedge Z=Y})$$

$$\vdash_{\mathcal{P}} (\text{fakt}(X_1, Y_1), Y \# = X * Y_1, \quad \underbrace{X_1 \# = X - 1 \wedge X = 1 \wedge Z = Y}_{X_1=0 \wedge X=1 \wedge Z=Y})$$

$$\vdash_{\mathcal{P}} (Y \# = X * Y_1, \quad \underbrace{\overline{\text{fakt}(X_1, Y_1) = \text{fakt}(0, 1)} \wedge X_1 = 0 \wedge X = 1 \wedge Z = Y}_{X_1=0 \wedge Y_1=1 \wedge X=1 \wedge Z=Y})$$

$$\vdash_{\mathcal{P}} (\square, \quad \underbrace{Y \# = X * Y_1 \wedge X_1 = 0 \wedge Y_1 = 1 \wedge X = 1 \wedge Z = Y}_{Y=1 \wedge X_1=0 \wedge Y_1=1 \wedge X=1 \wedge Z=1})$$





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:  
- use_module(library(clpf)).  
  
queens(N,L) :- length(L, N),  
             L ins 1 .. N,  
             all_different(L),  
             safe(L),  
             label(L).  
  
safe([]).  
safe([X|Xs]) :- safe_between(X, Xs, 1),  
              safe(Xs).  
  
safe_between(X, [], M).  
safe_between(X, [Y|Ys], M) :- no_attack(X, Y, M),  
                           M1 #= M + 1,  
                           safe_between(X, Ys, M1).  
  
no_attack(X, Y, N) :- X+N #\= Y, X-N #\= Y.
```

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:  
- use_module(library(clpr)).  
  
mortgage(D, T, I, R, S) :- {T = 0, D = S}.  
mortgage(D, T, I, R, S) :- {T > 0, T1 = T - 1, D1 = D + D * I - R},  
                      mortgage(D1, T1, I, R, S).
```